

# Principles of Single Dish Telescopes

John Reynolds



# The “Dish” Advantage

Simplicity – cost effective for collecting area

Sensitivity – hard to beat

Versatility – imaging, spectral line, pulsars ....

Adaptability – still going strong after ~50 years!

Elegance!



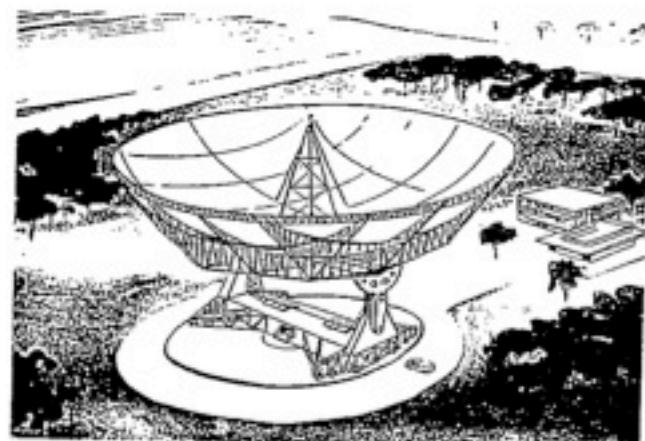
# The outline

- Some basics of dish antennas
  - Feeds, illumination
  - Sensitivity & noise
- Whistle-stop tour of a single-dish system
  - Principal components
  - Calibration basics

# Dish technology: still relevant



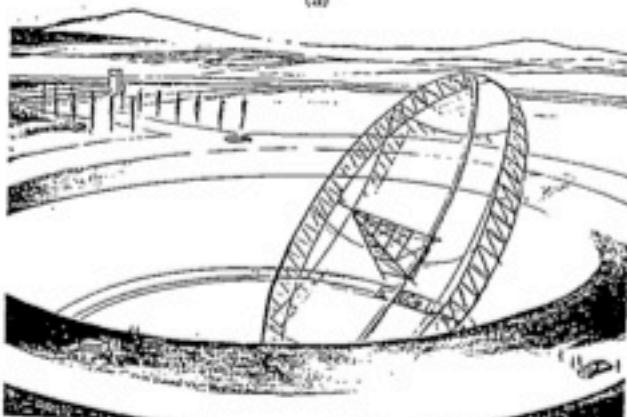
# Early concepts for the “GRT”



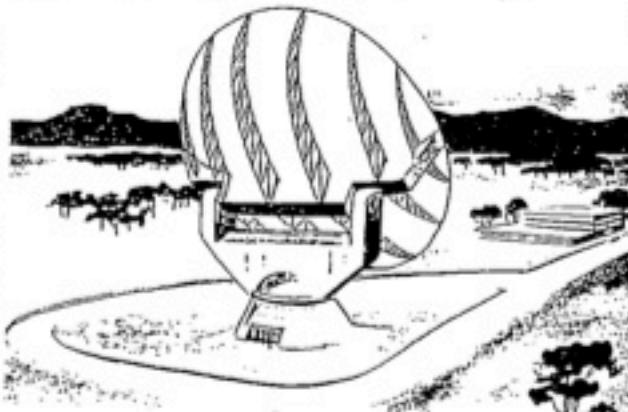
(a)



(b)



(c)



(d)



The drawback:  
cost  $\sim D^{2.8}$

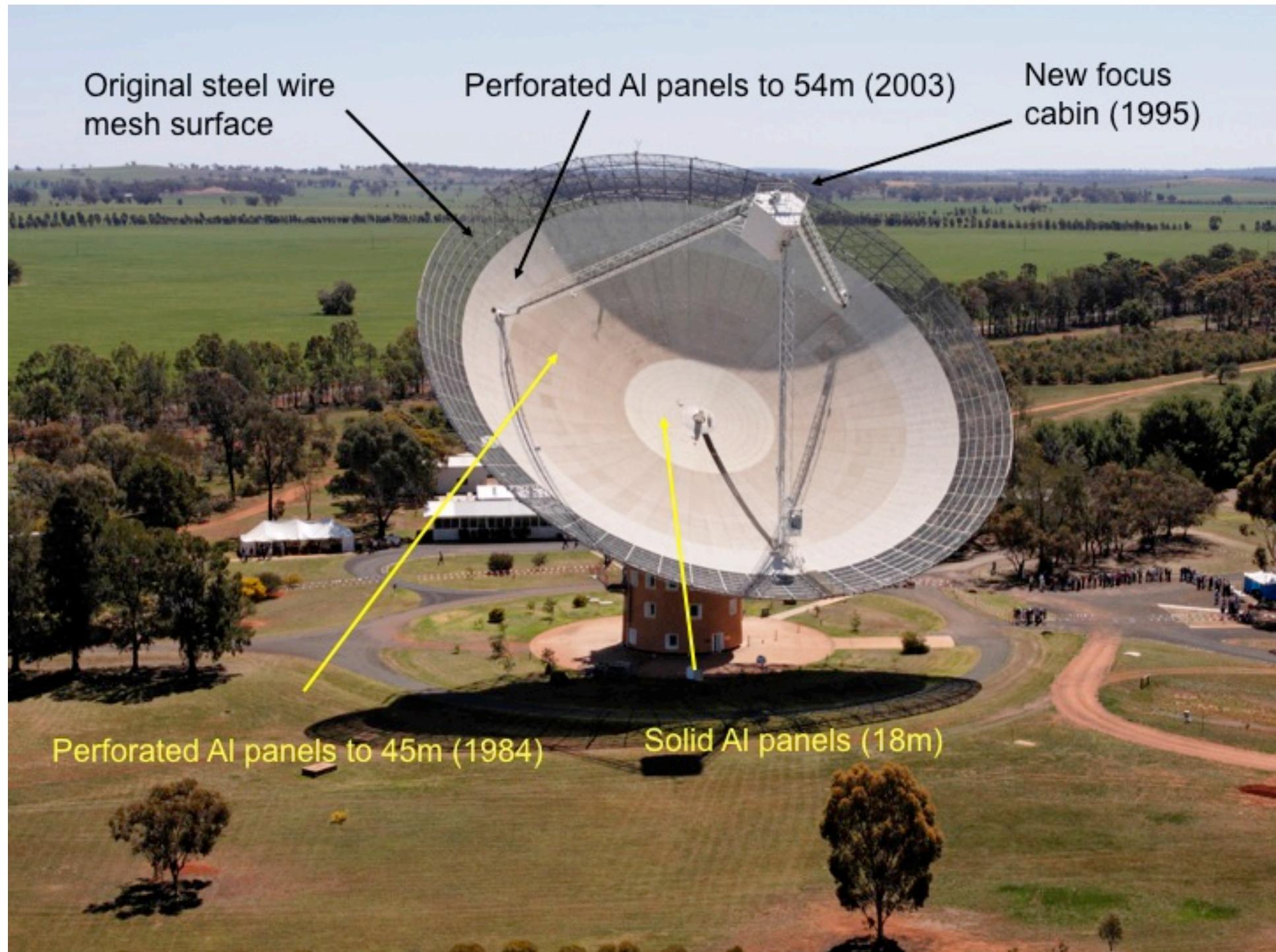
# The parabolic reflector (“Dish”)

Parkes 64-metre

$f/D \sim 0.4$

74 MHz – 26 GHz  
(2.5 decades)

Prime focus  
vs  
Secondary:  
Cassegrain etc



# Multiple reflector systems

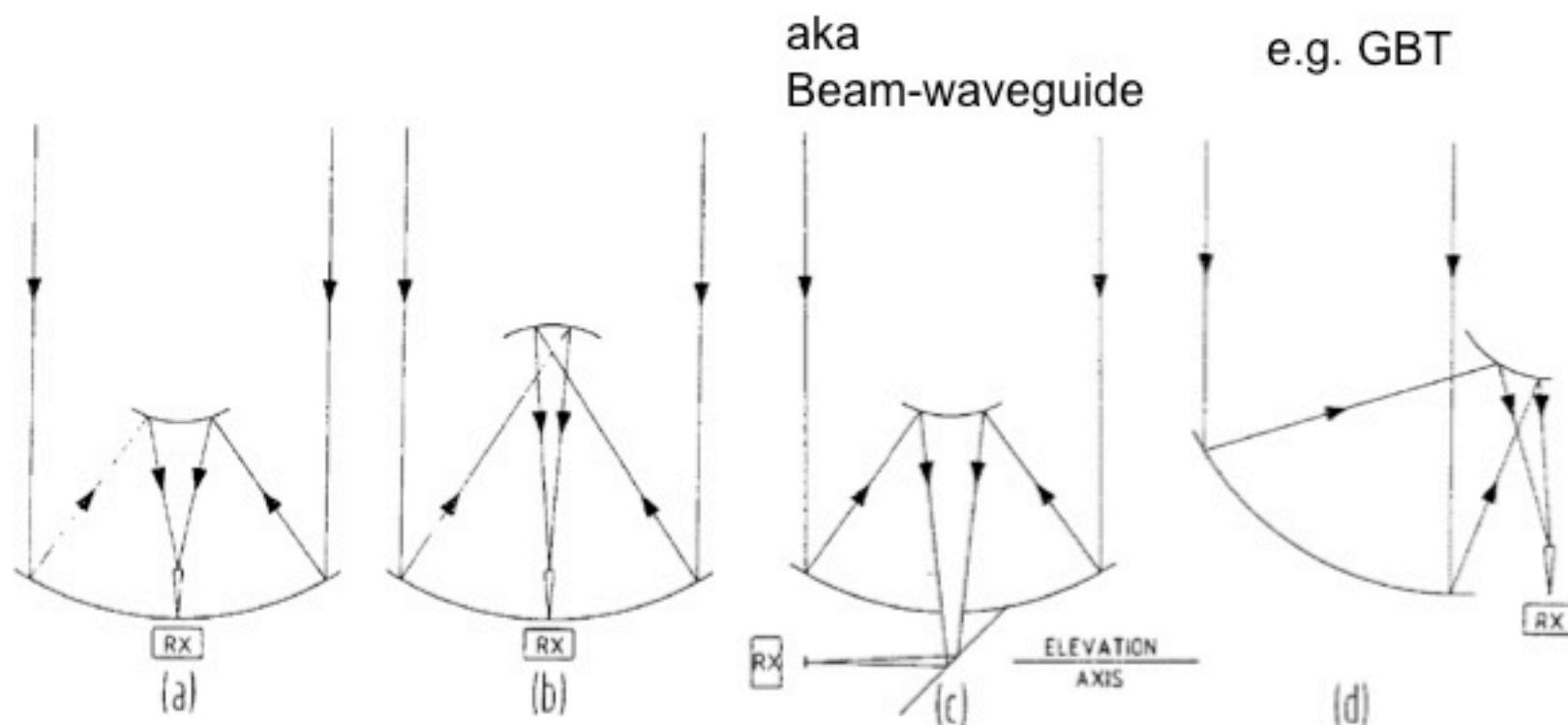


Fig. 6.7. The geometry of (a) Cassegrain, (b) Gregory, (c) Nasmyth and (d) offset Cassegrain systems

# Antennas – the basic response

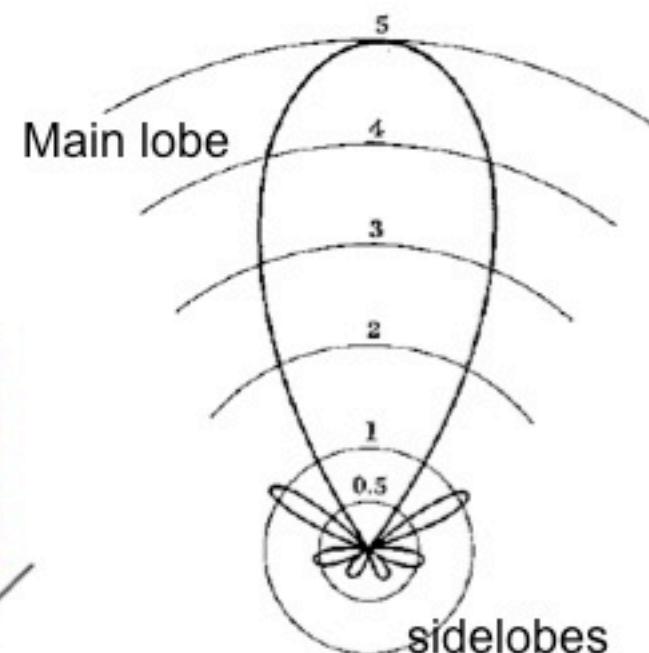
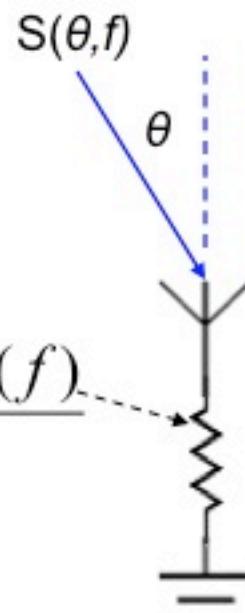
Recalling flux density:

$$1 \text{ Jy} = 10^{-26} \text{ W / m}^2 / \text{Hz}$$

Antenna Effective Area:

$$A_{\text{eff}}(\theta, f) = \frac{\text{Matched power density}(f)}{S(\theta, f)/2}$$

Single polarization



# Two handy antenna facts

All-sky integral of  $A_{\text{eff}}$  depends  
only on wavelength:

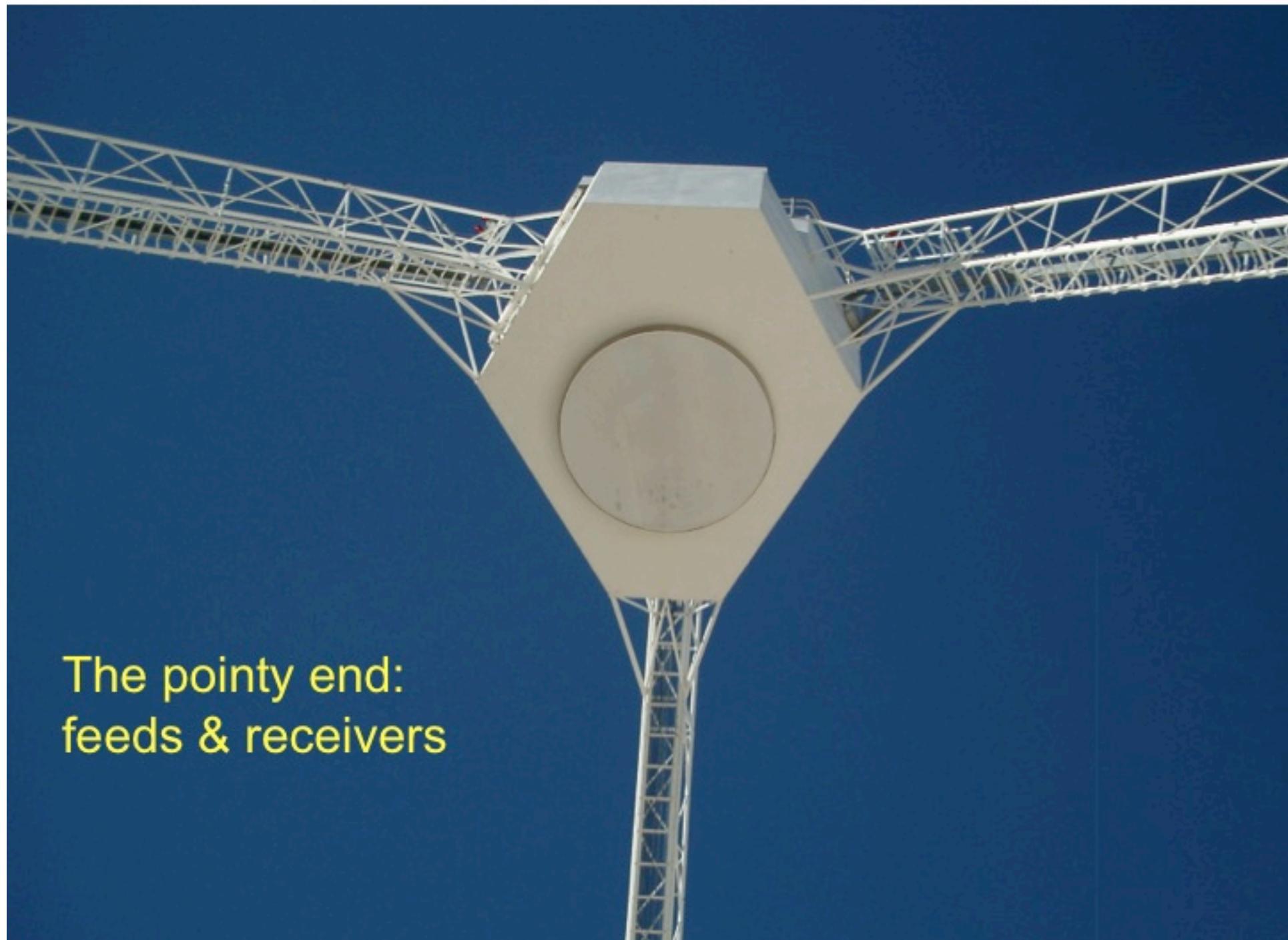
$$\oint A_{\text{eff}}(\Omega) \cdot d\Omega = \lambda^2$$

“no high-gain isotropics”

$$A_{\text{iso}} = \lambda^2 / 4\pi$$

**Reciprocity theorem;**

transmit polar pattern = receive polar pattern



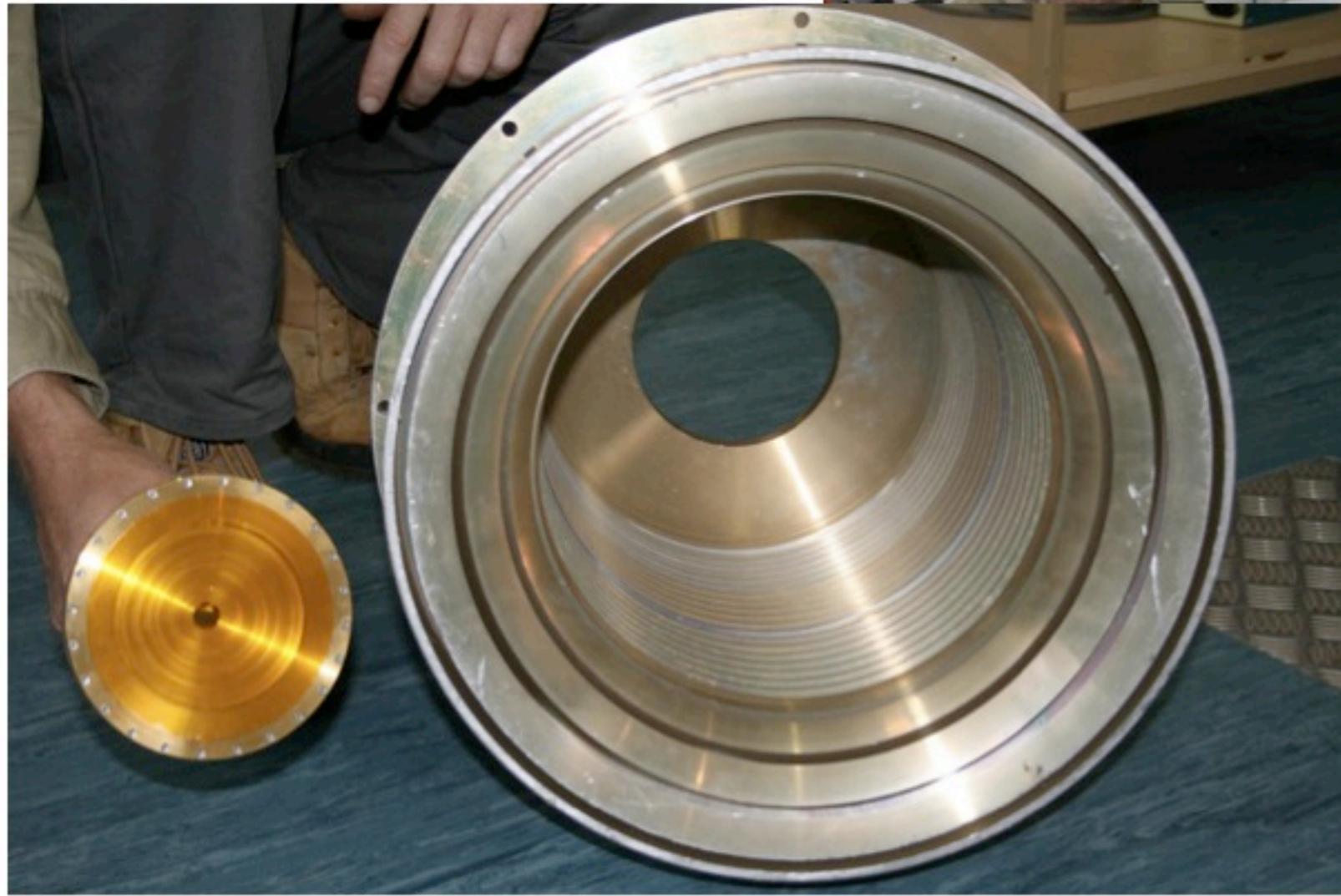
The pointy end:  
feeds & receivers

# The feed

Goal: to collect reflected energy optimally, over defined frequency range



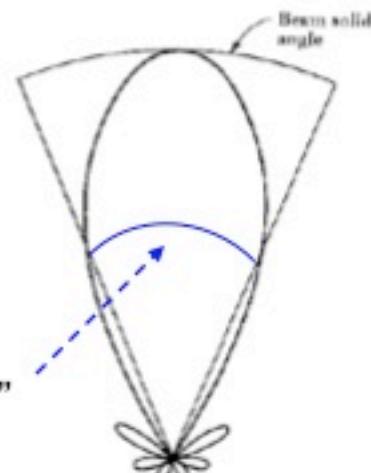
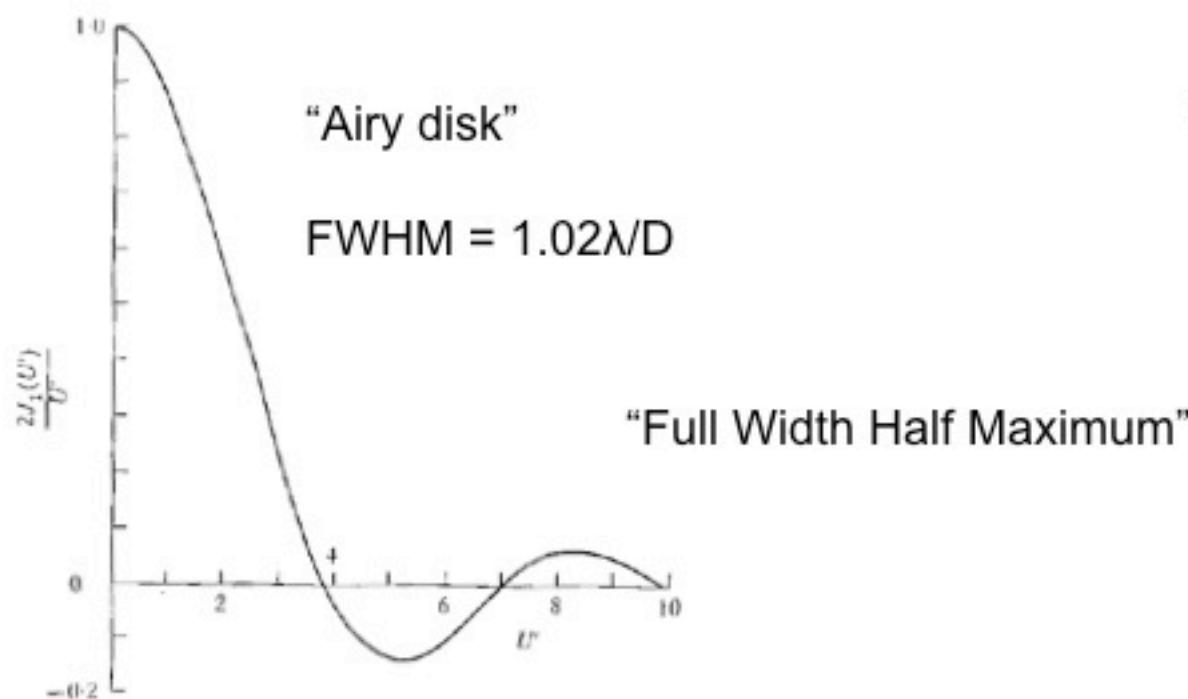
# The feed



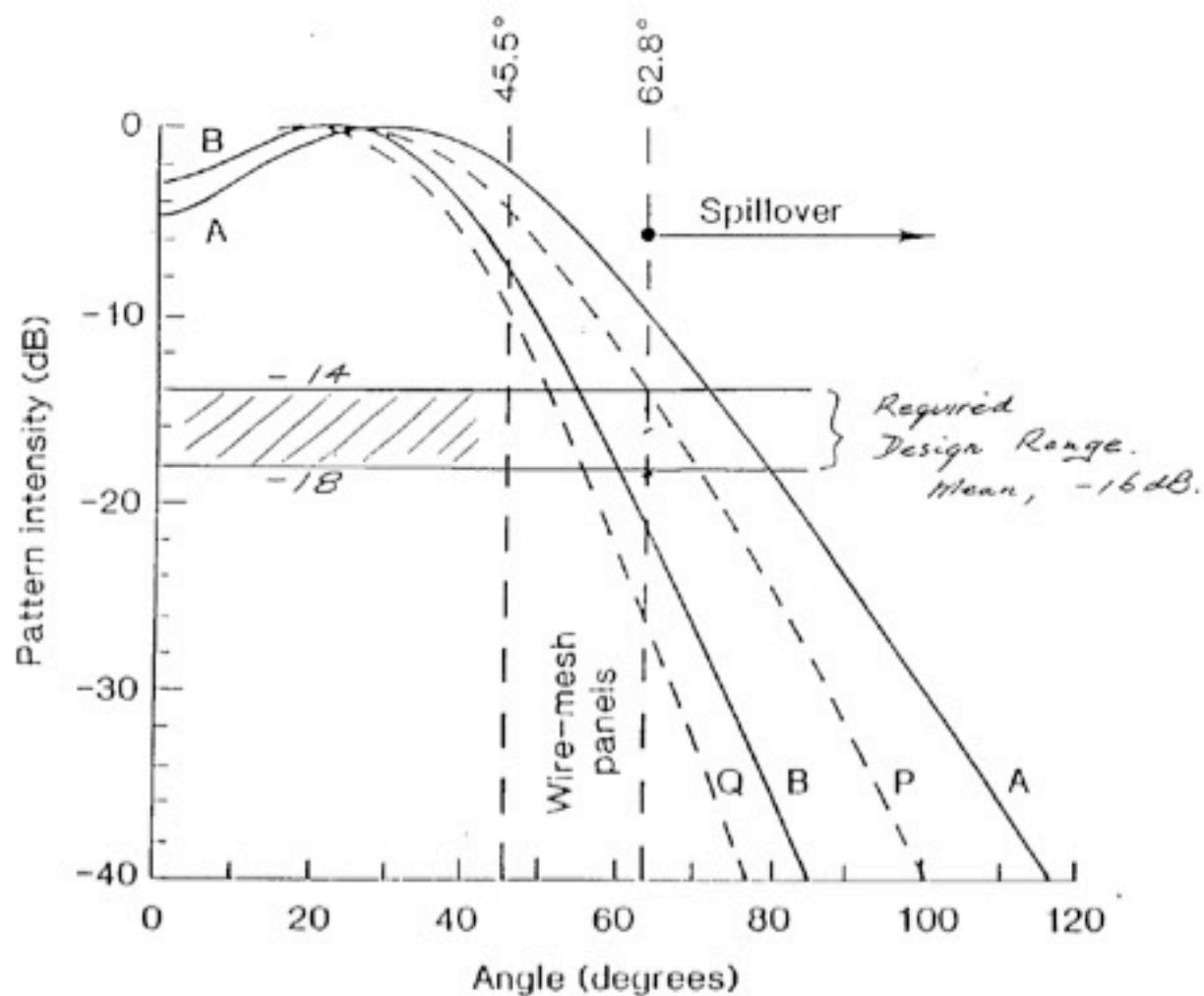
# Illumination & Feeds

- For perfectly-illuminated circular aperture

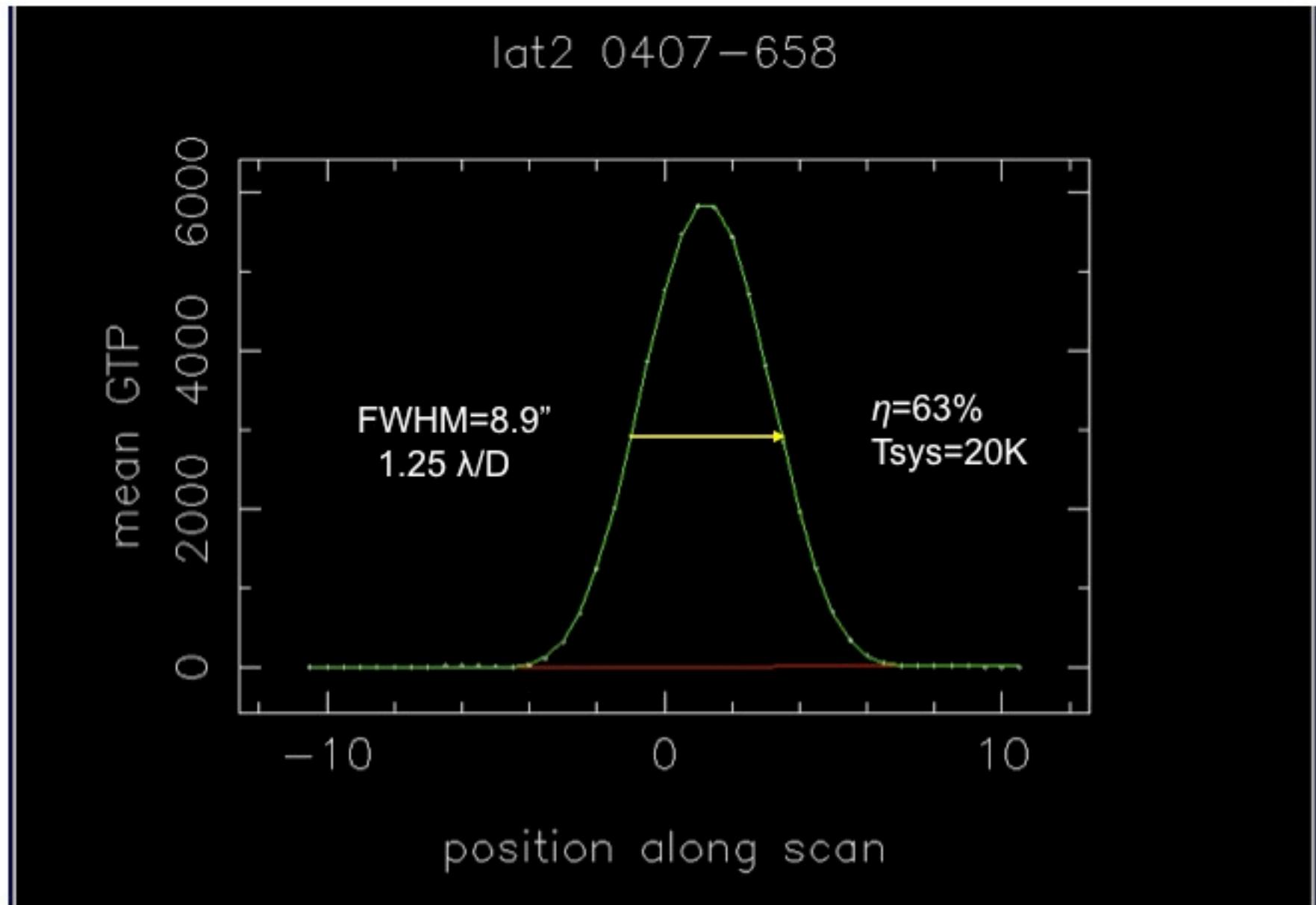
$$A_{\text{eff}} = A_{\text{physical}} = \pi \cdot r^2 \quad (\text{projected area})$$



# The real world – “Galileo Feed”



# A real 64-metre beam – at 2.3GHz



# Antenna/feed sensitivity

*Signal* vs *Signal-to-noise* (SNR)

Aliases for  $A_{\text{eff}}$  (effective area);

$\lambda^2/4\pi$

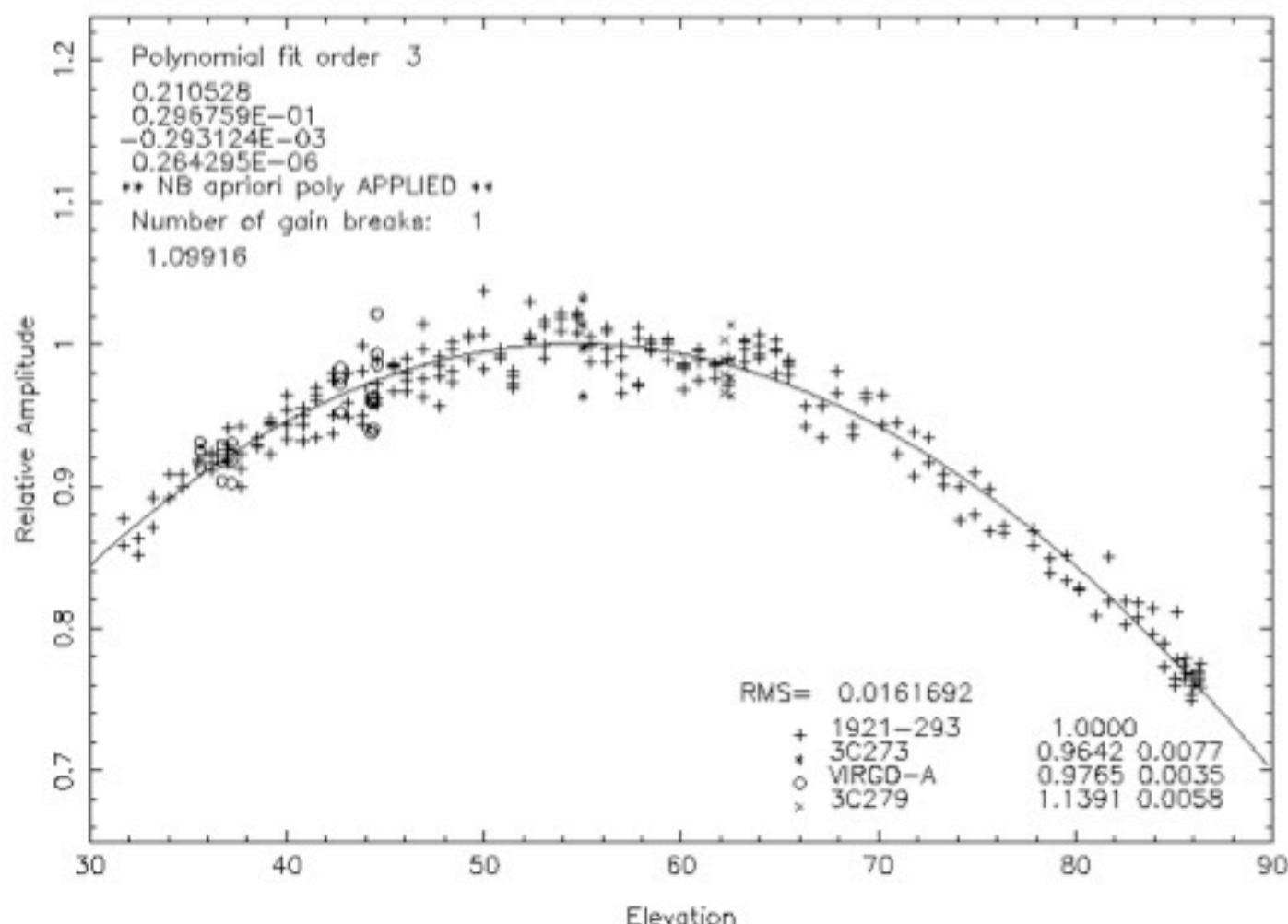
Forward gain (dB) :=  $10 * \log(A_{\text{eff}}/A_{\text{iso}})$

Aperture efficiency :=  $A_{\text{eff}}/A_{\text{physical}}$

S/T (“Jy per Kelvin”) :=  $2k/A_{\text{eff}} \cdot 10^{26}$

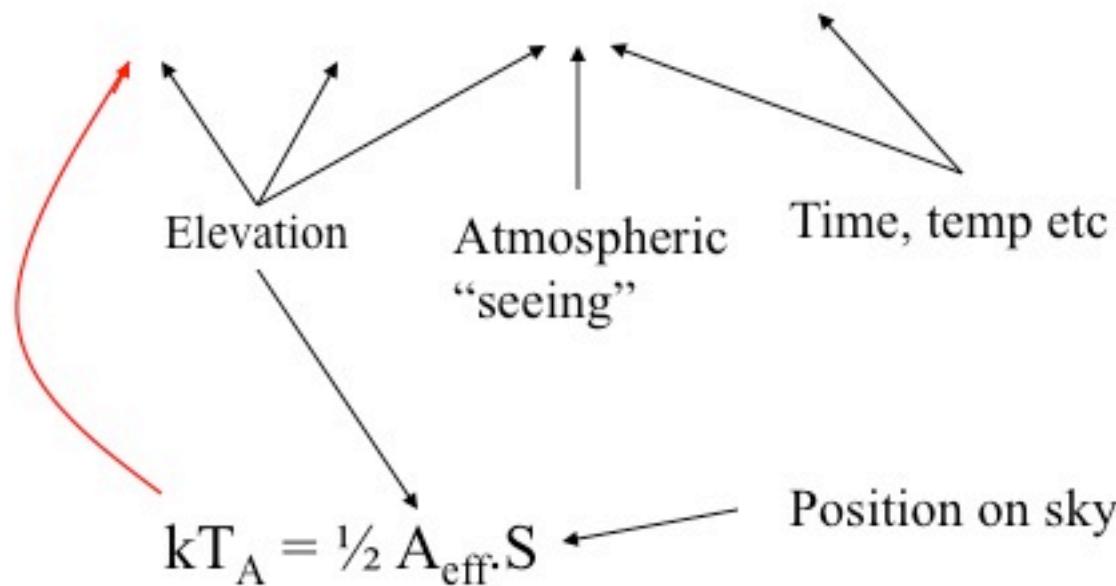
# Antenna gain

22.235GHz 25-Jul-2001 (P371A)



# The noise equation

$$T_{\text{sys}} = T_A + T_{\text{spill}} + T_{\text{sky}} + T_{\text{rx}} + T_{2.7K}$$



# Signal-to-Noise

- Extended sources ( $T_{\text{Sky}}$  ,  $\theta \gg \theta_{\text{FWHM}}$ )

$$T_{\text{ANT}} = T_{\text{Sky}} \quad (T_{\text{Sky}} \sim \text{Jy/sterad})$$

For SNR=1,  $T_{\text{Sky}} = T_{\text{sys}}$

(independent of antenna size/gain)

- Point sources ( $S_{\text{source}}$  ,  $\theta \ll \theta_{\text{FWHM}}$ )

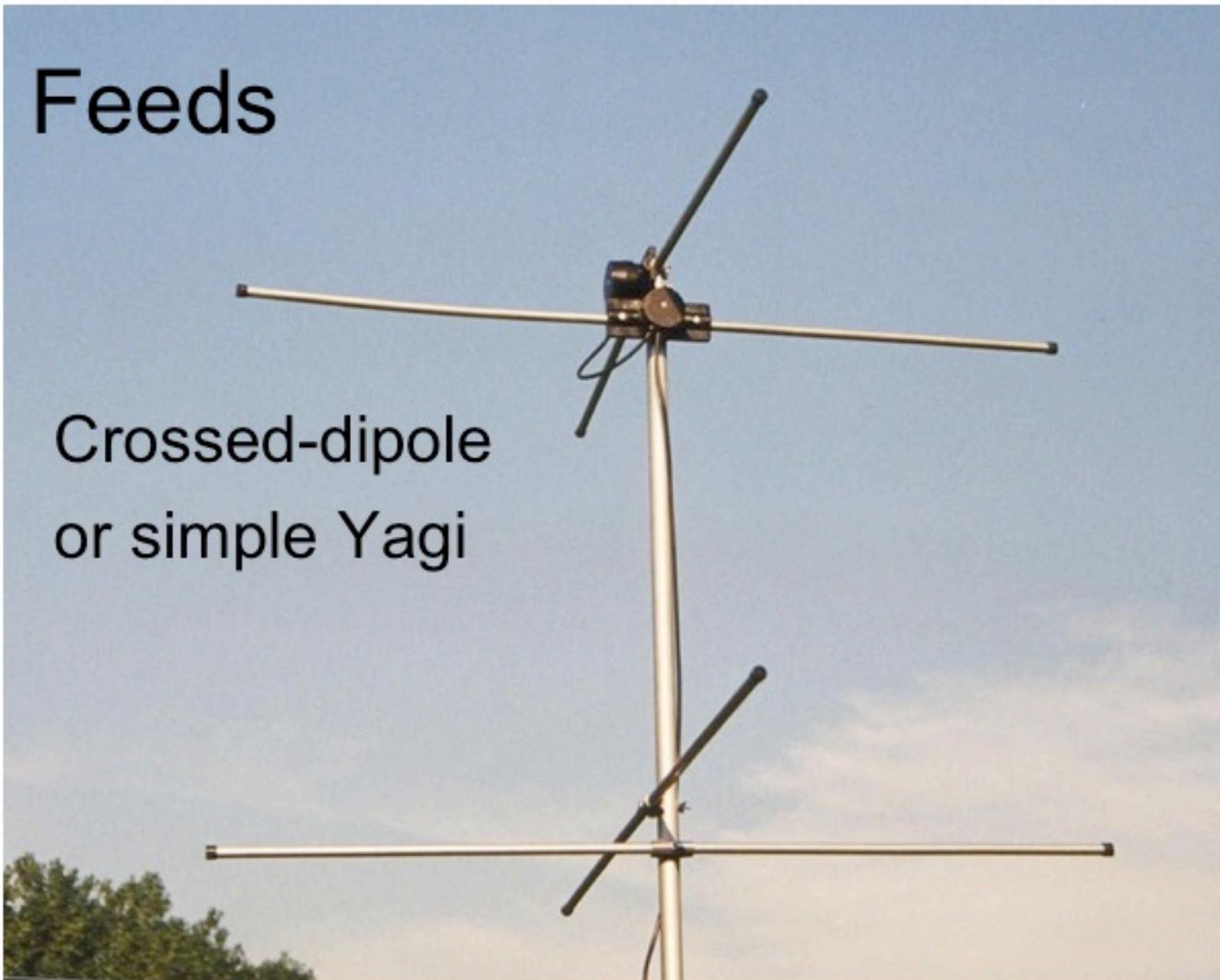
$$T_{\text{ANT}} = S_{\text{source}} / (S/T)$$

For SNR=1,  $\rightarrow \text{SEFD} = T_{\text{sys}} * (S/T)$

“System equivalent flux density”

# Feeds

Crossed-dipole  
or simple Yagi



More feeds

Cavity-backed  
disk feed

(70cm 420MHz)





DRAO “boxing ring” feed  
300-900MHz

# Multibeam Feeds

Why stop at one?

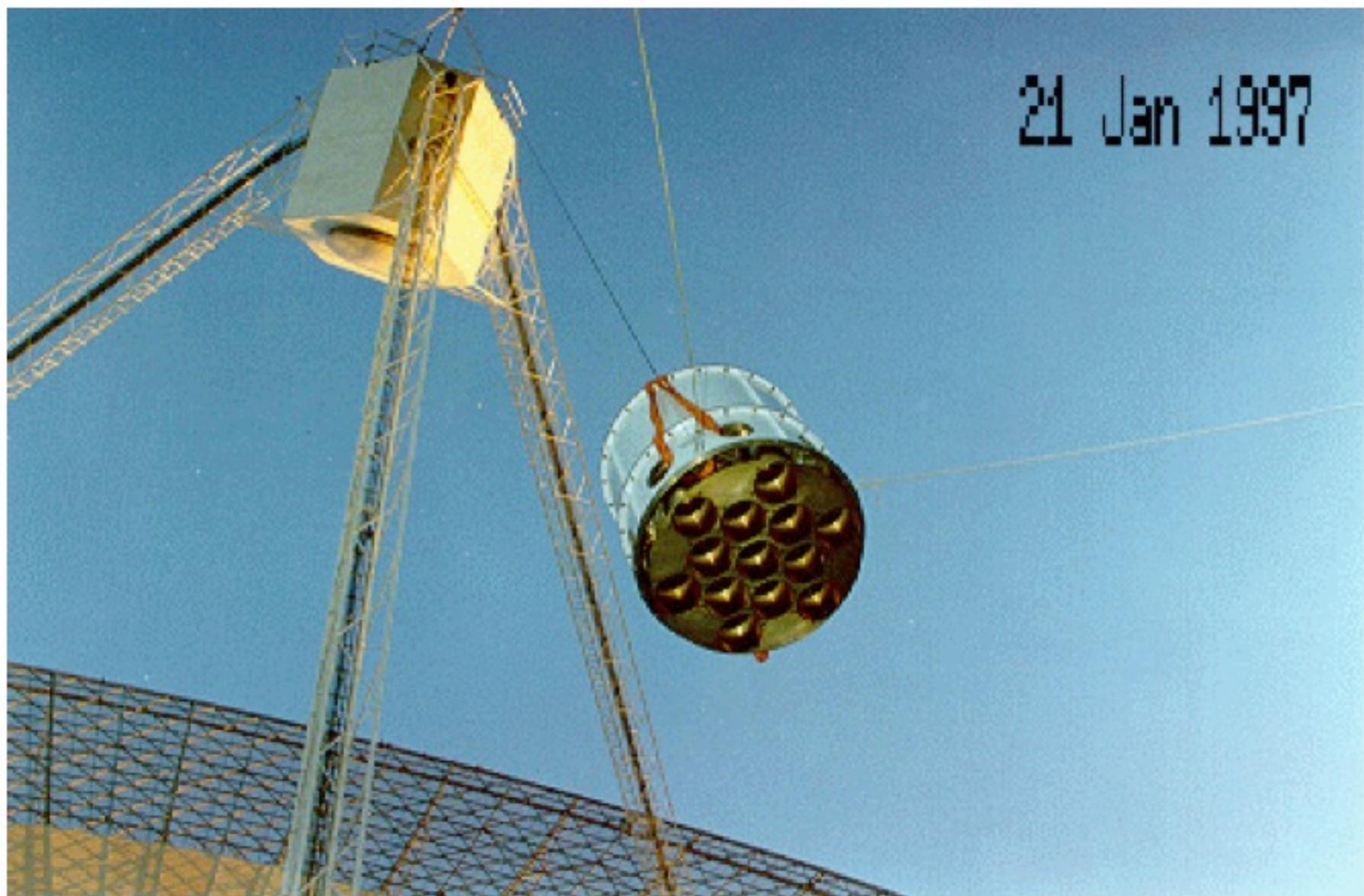
The simple parabolic reflector is best.

Shaped reflectors and Cassegrains can't compete

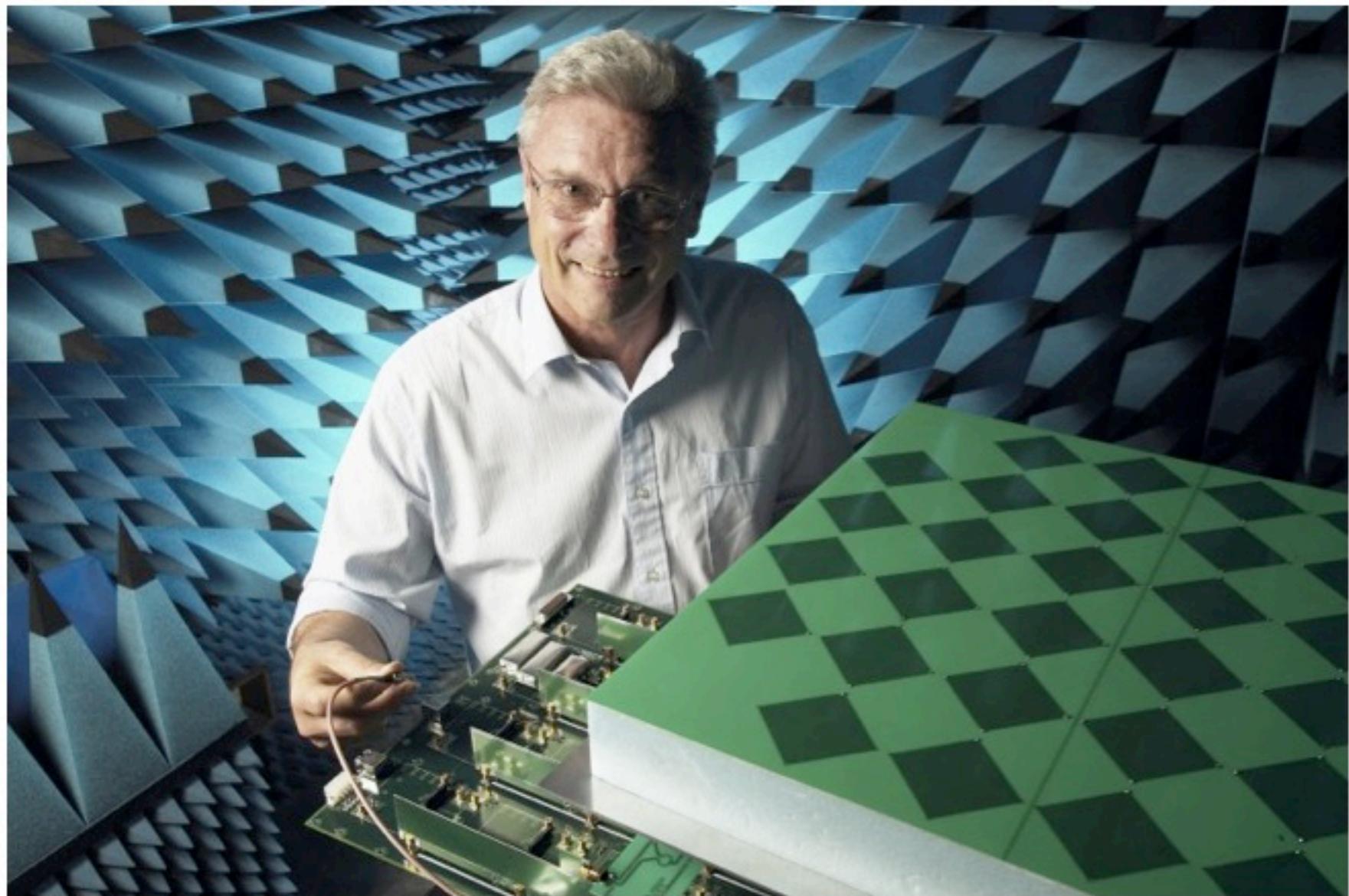


# Transforming technology

21 Jan 1997



# The new frontier: PAF=FPA



# Parkes X-band feed design

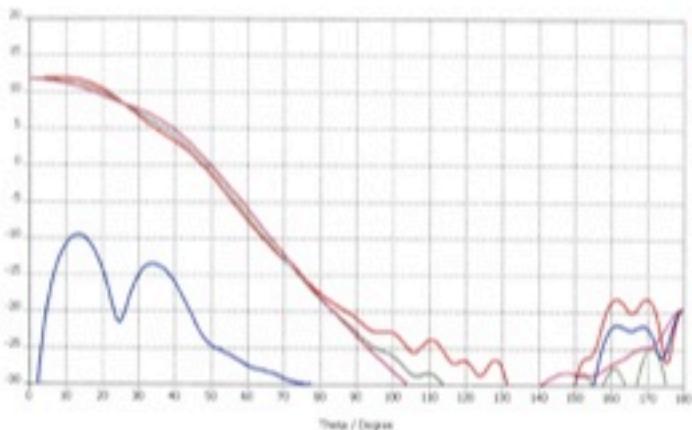


Figure 14: Radiation pattern at 8.30 GHz.

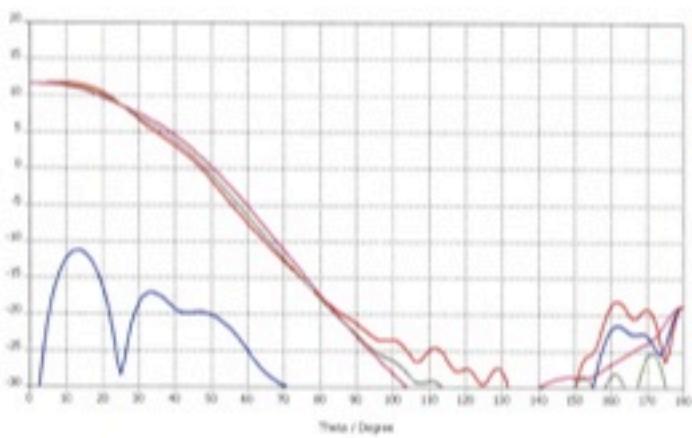


Figure 15: Radiation pattern at 8.40 GHz.

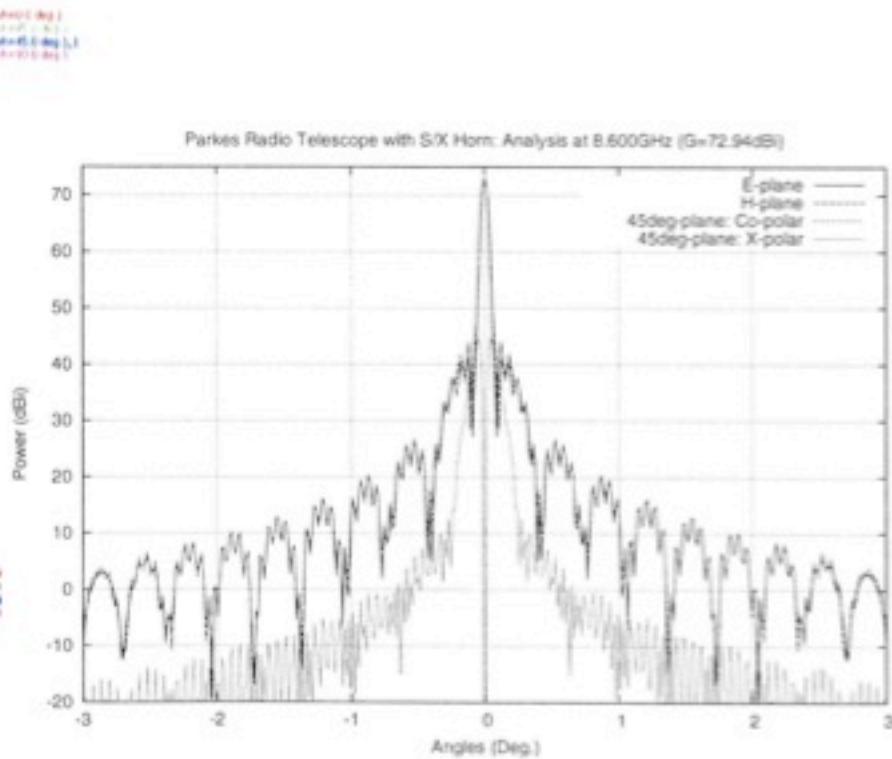


Figure 29: Radiation pattern at 8.60 GHz of the Parkes radio telescope with the new S/X feed system (linear-polarization).

# Radiometer Equation

$$SE(T_{\text{sys}}) = \alpha \cdot T_{\text{sys}} / \sqrt{t \cdot \Delta f}$$

where;

$t$  = integration time (seconds)

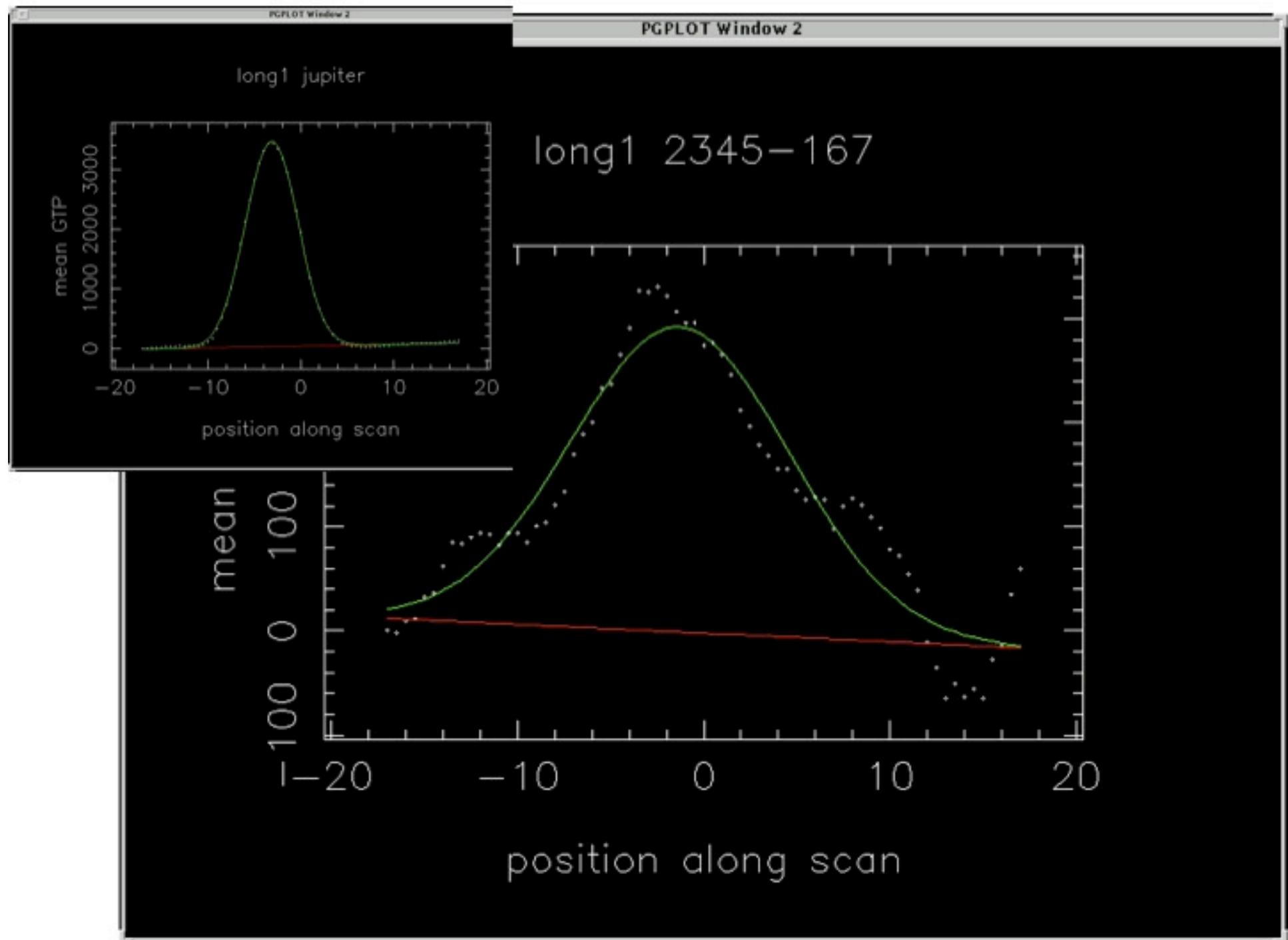
$\Delta f$  = detector bandwidth (Hz)

$\alpha$  = factor of order unity (system dependent)

1 sigma (SE) not usually enough  $\rightarrow$  3 or 5 sigma

There's noise and there's noise:

above does not include “flicker” noise

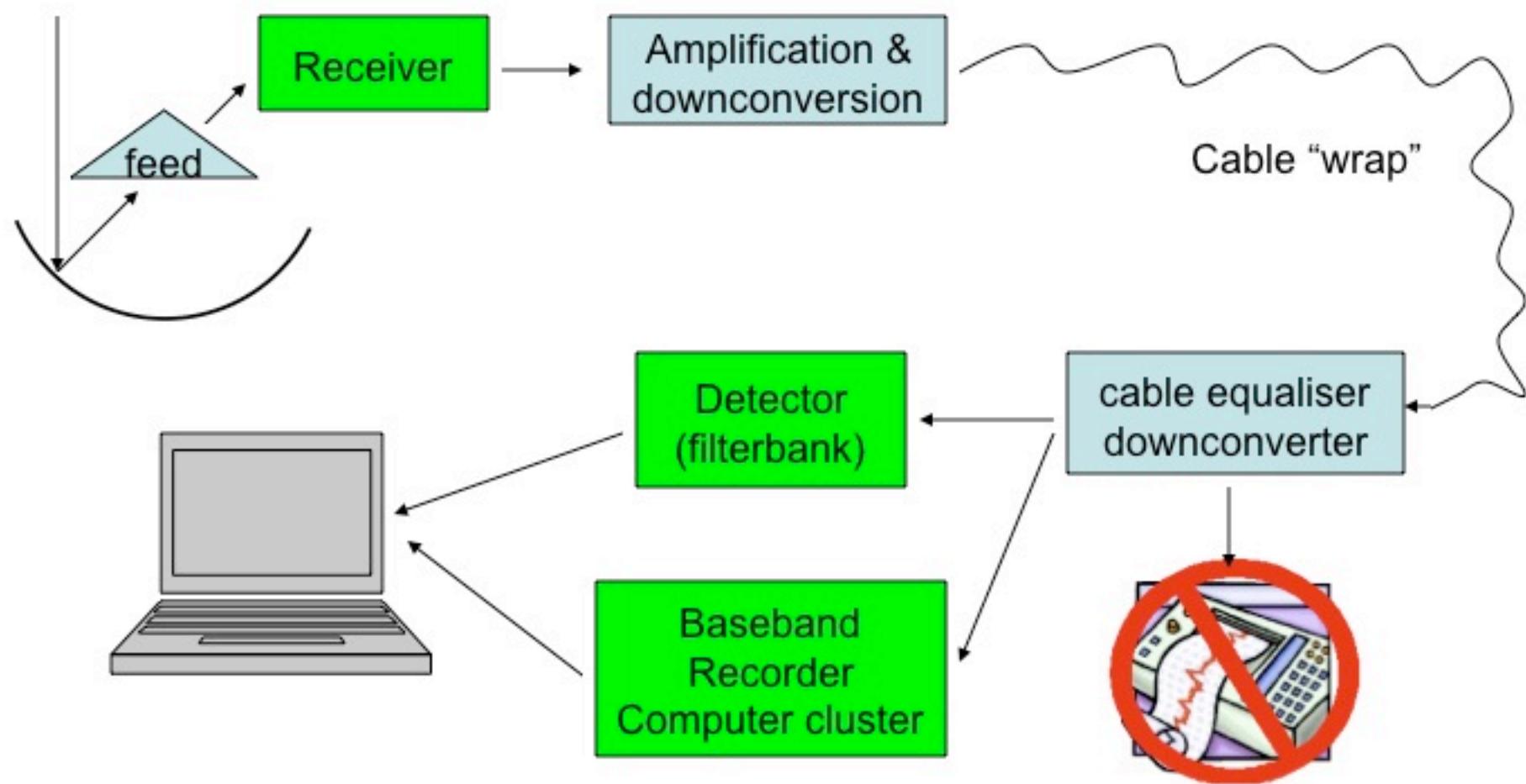


# Out of scope

- Secondary reflector systems
- Surface accuracy deformations
- Holography
- Pointing models
- Fourier theory
- Aperture blockage
- ....

See e.g. "Radiotelescopes", Christiansen & Hogbom

# Single-dish system – the basics



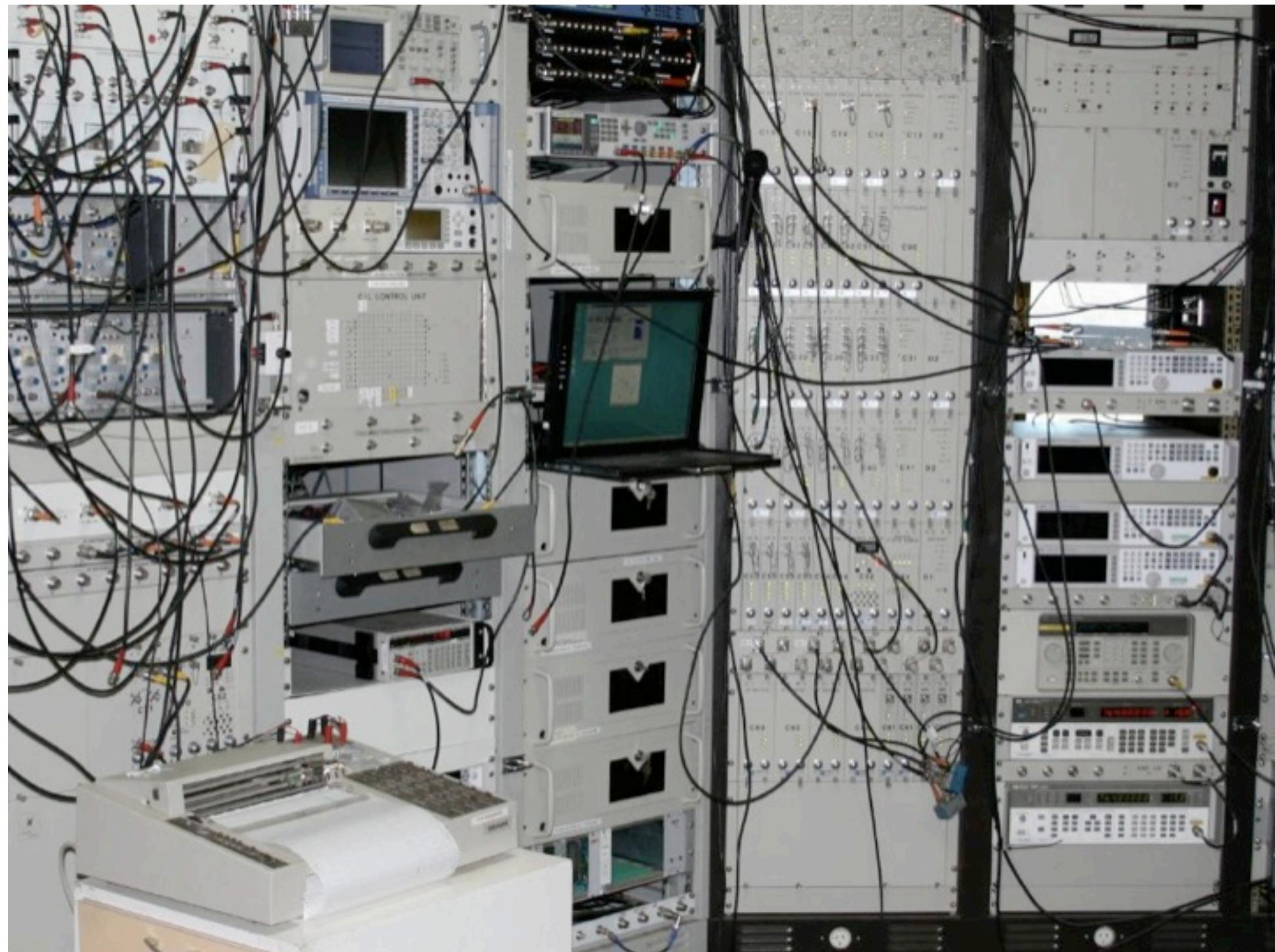
# Data recording across the ages

## Part 1.

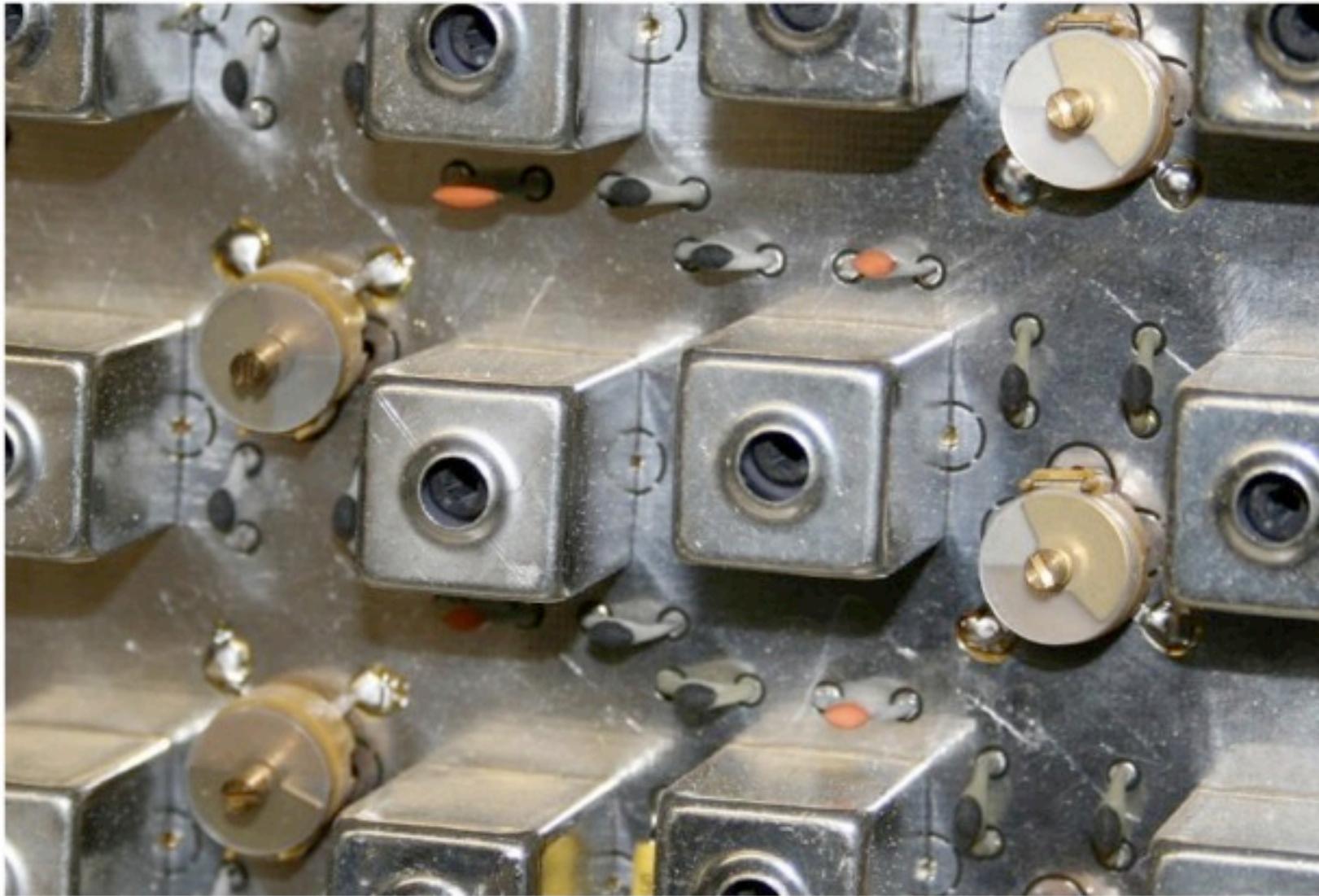


8GHz  
receiver  
package



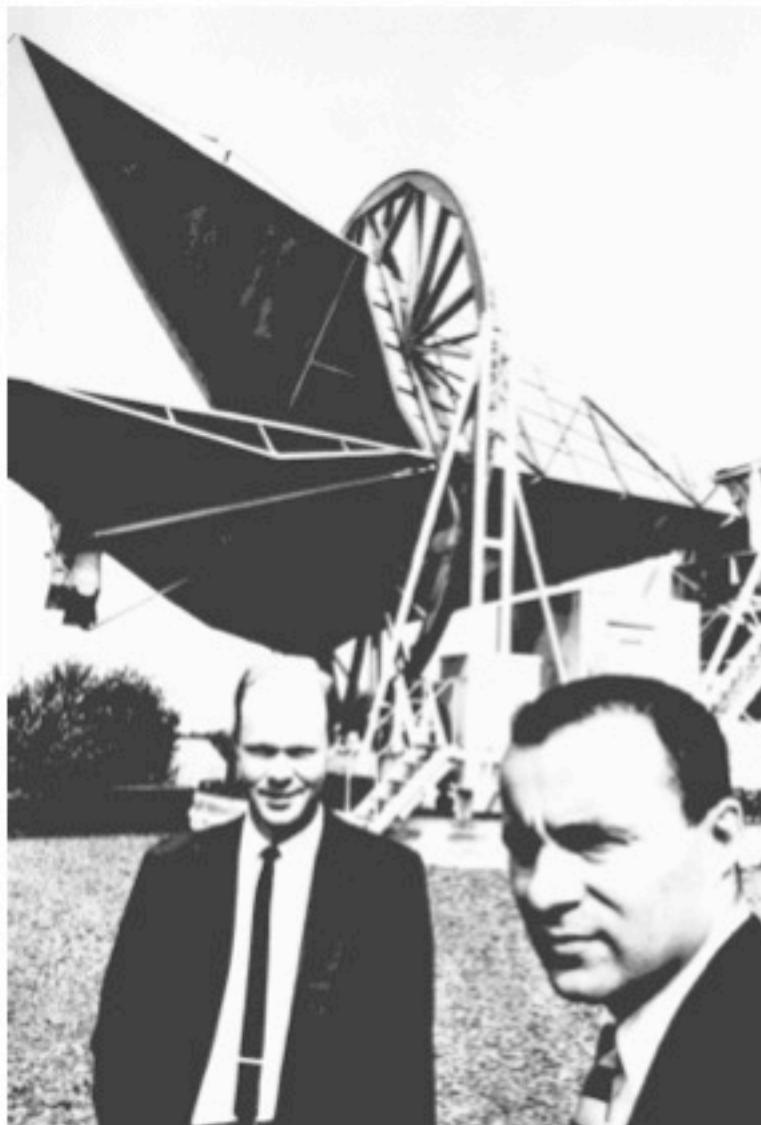


# The last great analogue filterbank?



# Calibration

You never know – it might be important.



## Single-dish calibration

Pointing (at higher frequencies)

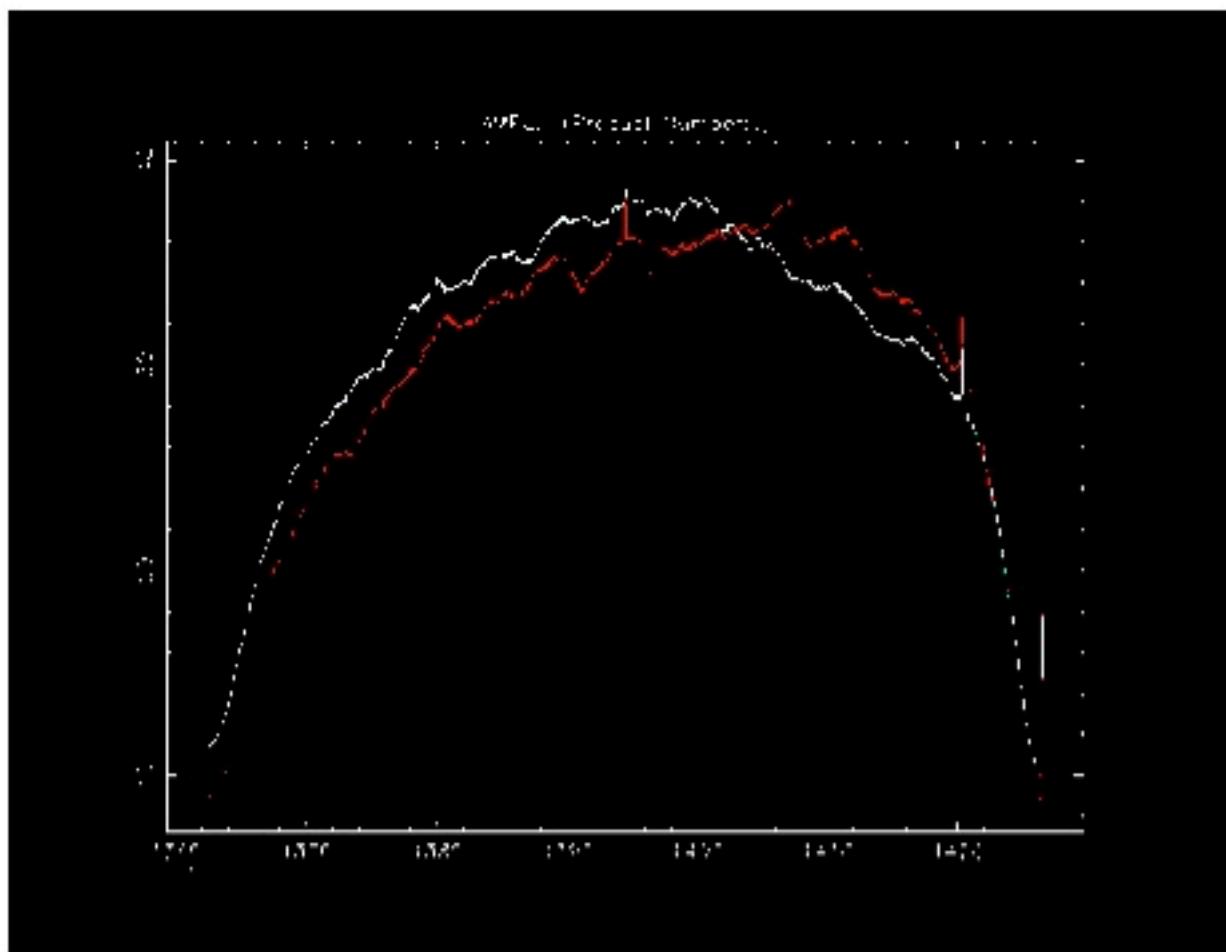
Gain vs Elevation

Tsys vs time

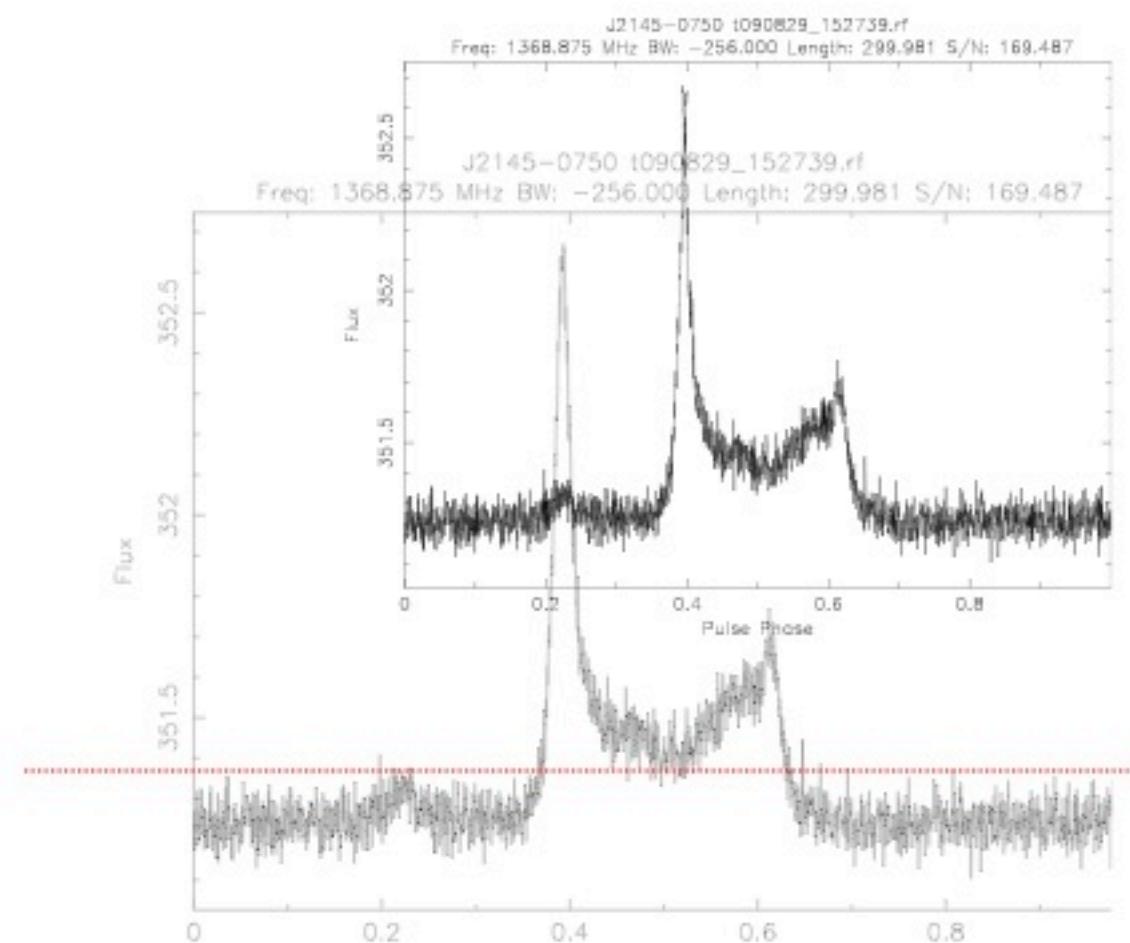
Remove the noise pedestal!

# The single-dish millstone

Large and quasi~constant “DC” noise pedestal floor –  
Small fluctuations with time/frequency are important!



## Pulsars: average “off pulse” noise;



# Spectral-line / continuum

- On source – Off source

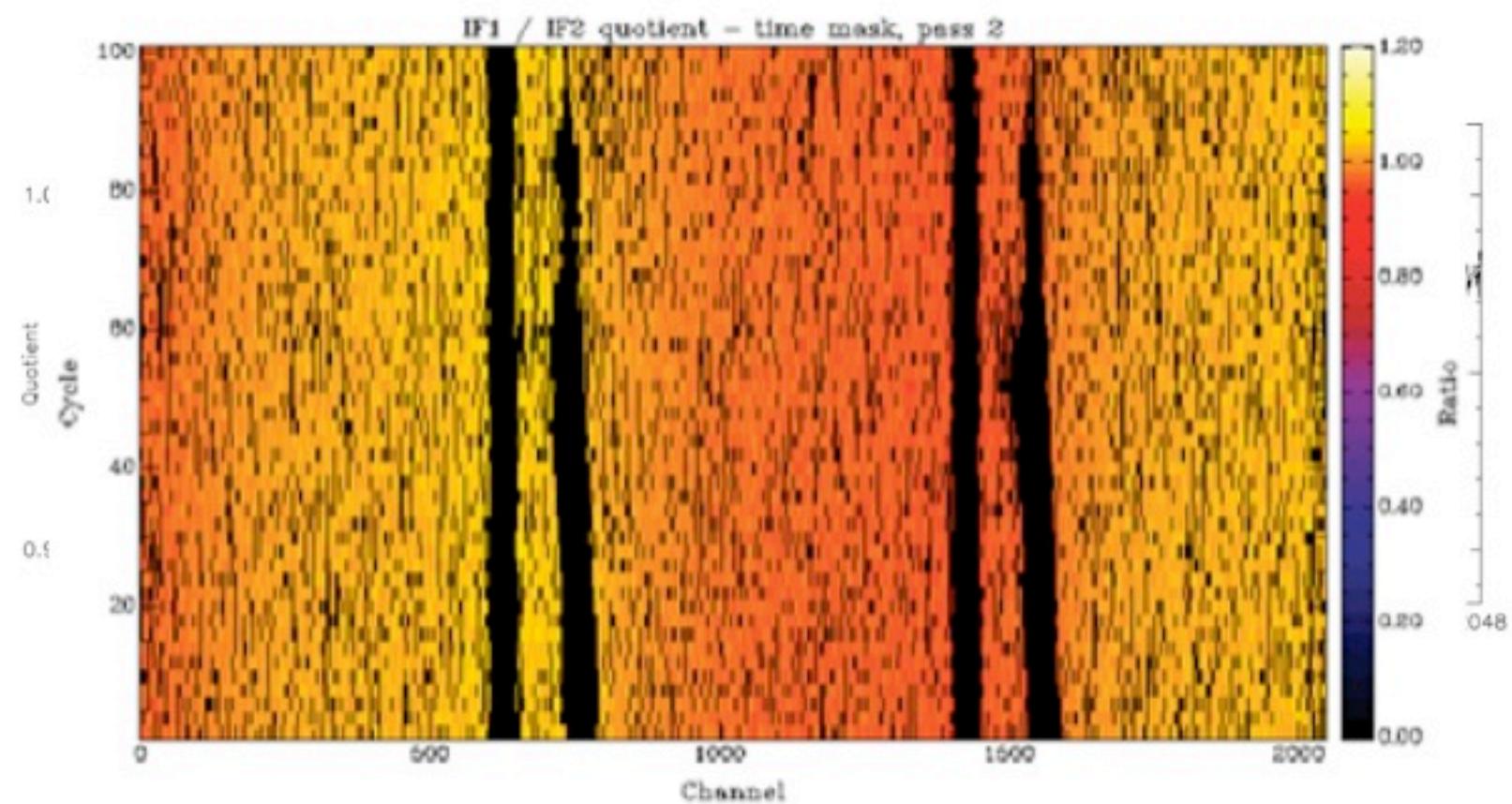
Switch between on and off-source, subtract/divide  
“MX” mode on Multibeam receivers

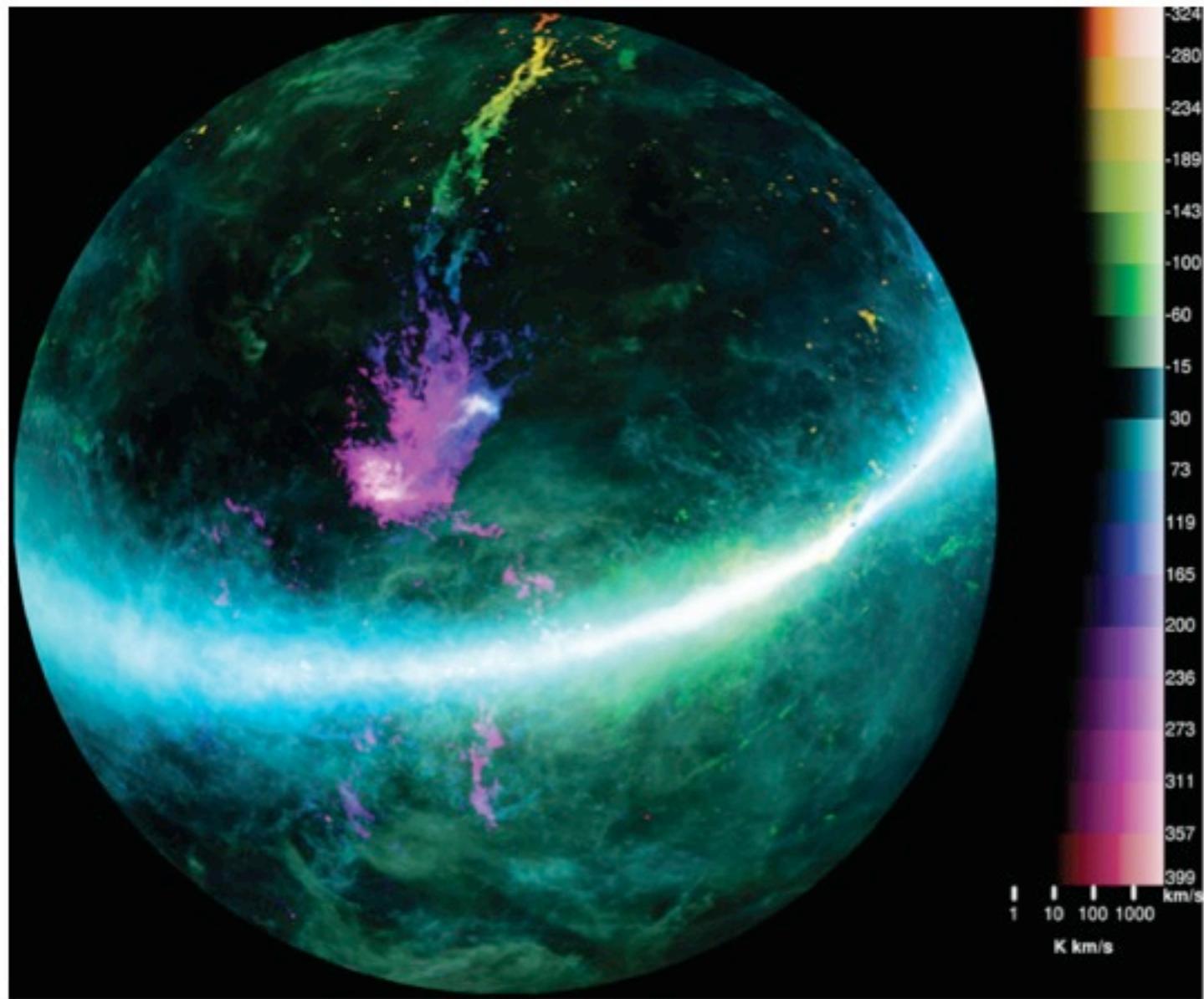
- Frequency shift

Switch between two adjacent frequencies, divide

- Scan and average

Subtract mean (median) of entire scan

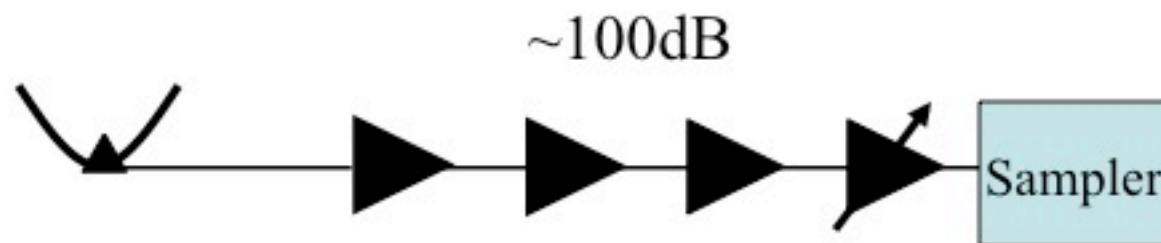




# What are we measuring?

- Typical receiver systems have large gain which varies with time.

Abandon detected power for calibration:  
use only equivalent noise temperatures.



# NAR – noise- adding radiometer

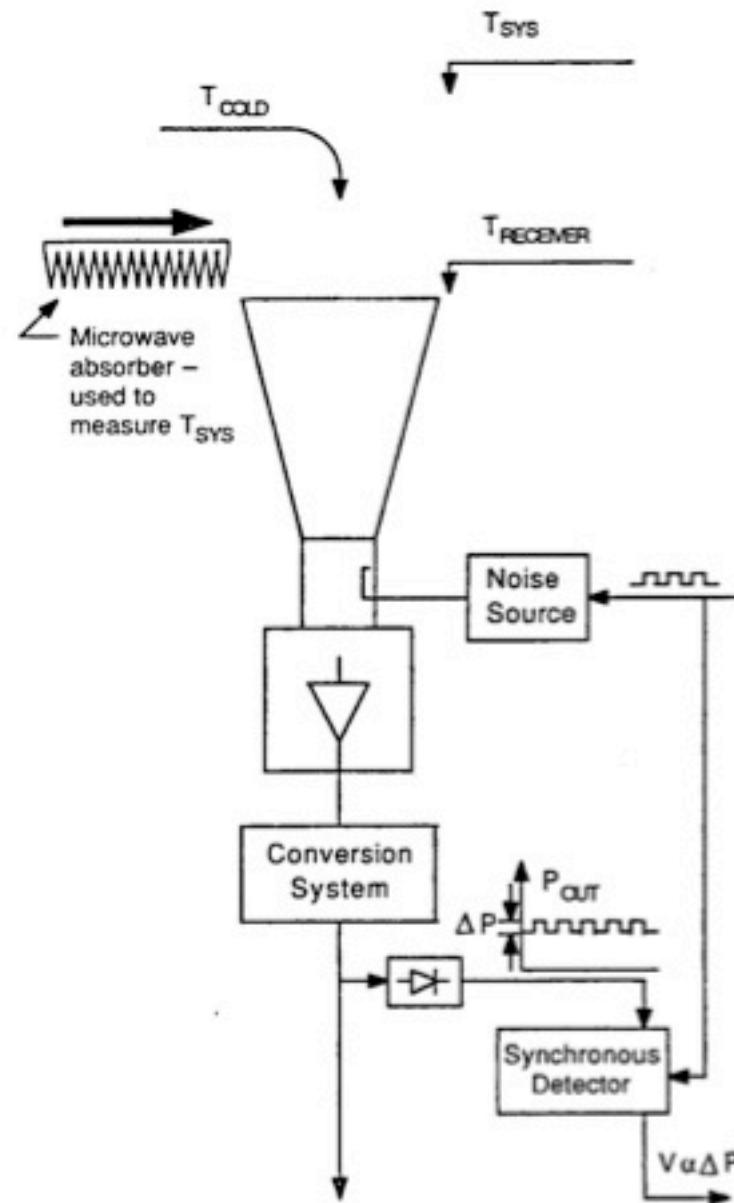
Jargon:

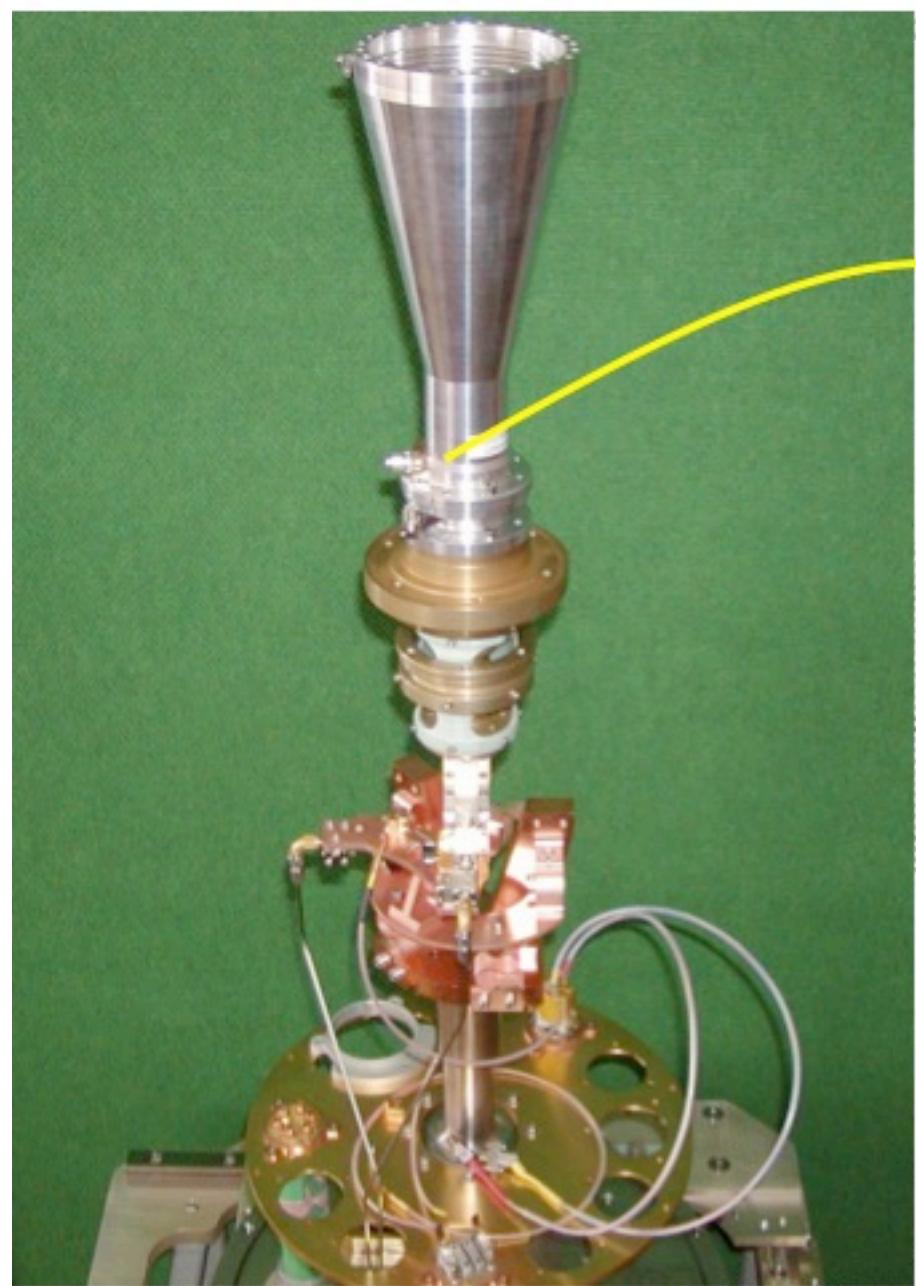
“noise tube”

=“noise diode”

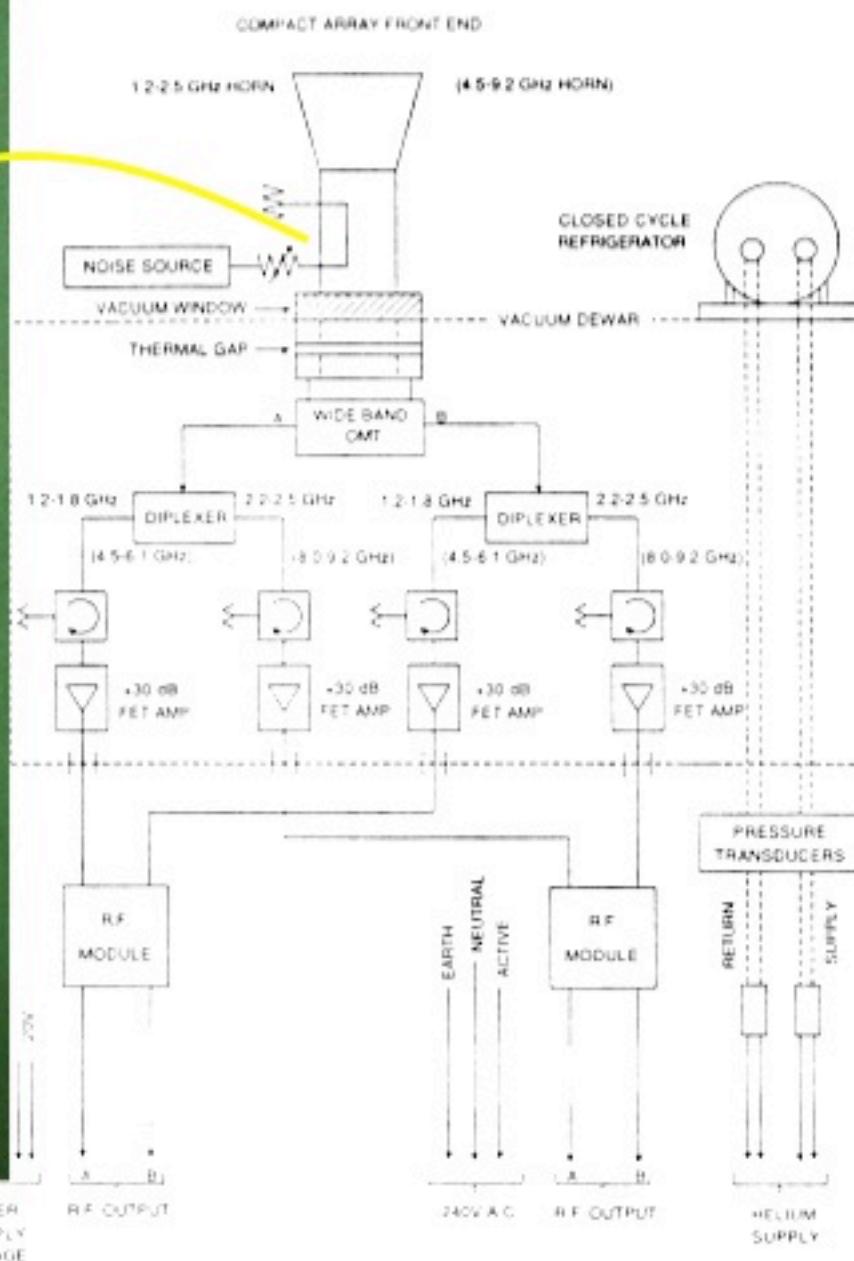
=“noise source”

=“cal”





NAL PATH - THE RECEIVER SYSTEM - *Sinclair, et al*



The end